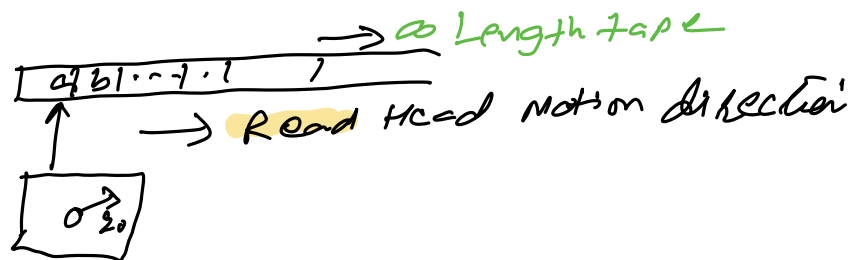


07-09-2021

Finite automata & Morphological parsing → To segment a word into its constituents

FA, $M = (Q, \Sigma, \delta, s, F)$, $\delta: Q \times \Sigma \rightarrow Q$
 $F \subseteq Q$, s - start state



we simulated the FA through an algorithm:

data structures used: transition table $[x, y]$

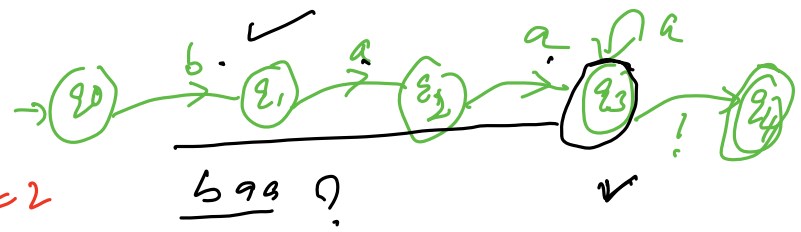
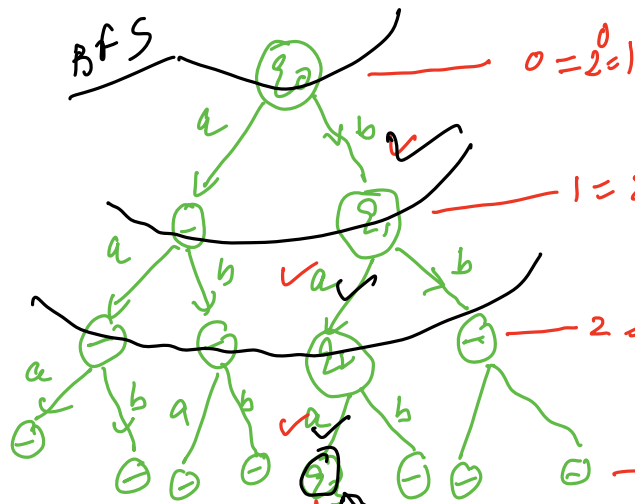
Tape, $\underbrace{\text{tape}[i], \text{tape}[i+1], \dots, \text{tape}[j]}_{= \text{input } w}$ ✓

index = head position on tape.

advancing head: $\text{index}++$
or $\text{index} = \text{index} + 1$

let $\Sigma = \{a, b\}$ ✓

BFS



{BFS/
DFS}



$2 = 2^2 = 4$ if $inp = |b a a a a| = 5$

$3 = 2^3 = 8 =$ breadth of tree at level 3
No. of paths = 8

$4 = 2^4 = 16$

$5 = 2^5 = 32$

↓
inp size = 3, paths = $2^3 = 8$

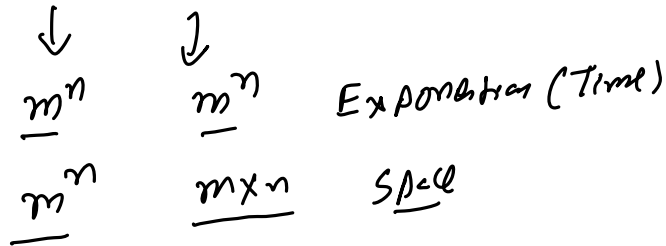
if inp size/length = 5

no. of paths = $2^5 = 32$

If input is of length n , $|Σ| = 2$,
then possible paths you need to search = 2^n paths

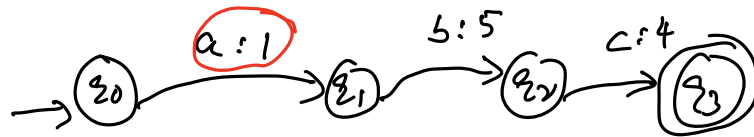
If $|Σ| = m$, then possible
worst case searches = m^n
— Exponential !!

Since BFS & DFS are complex processes:



∴ better algorithms are required: there are A^* , best first search, simulated annealing, ...

FST: Finite State Transducer



i/p = abc
o/p = 154

$M = (Q, \Sigma, q_0, \delta, F)$

$Q = \{q_0, q_1, q_2, q_3\}$

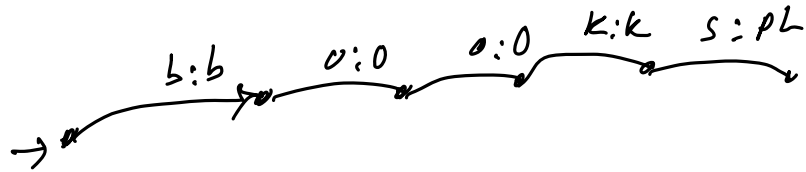
$\delta: Q \times \Sigma \rightarrow Q$

$\delta(q_i, \underbrace{i:0}) = q_j$

$\Sigma = ?$ $I = \{a, b, c, d, e\}$
 $O = \{1, 5, 4, 7\}$
 $\Sigma = \underline{C}$ $I \times O$

$\underline{C}$ is because all the combinations of I & O are not allowed

Where to use FST? Applications:



i/p = books

o/p = book + PL, the "books" has been parsed into "Book + PL"

① ↑ This is called Morphological parsing ✓

② Converting words from singular to plural

Plural to singular. ✓ = null

= word inflection

③ Simple word translations:

Colone $\rightarrow$ Coloe
 behaviour $\rightarrow$ behavior

$\uparrow$

$\uparrow$

British
English

vs English

I/p c o l o u r

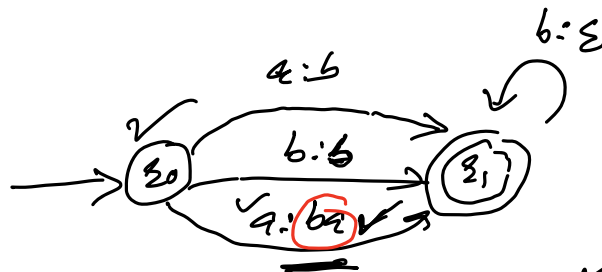
$\downarrow$

O/p

c o l o e r
 (null)

$\uparrow$ All above are
 called sequential
Transducers

Example



No. of strings = 2
 i/p = 1 string
 o/p = 1 string

$\checkmark$ 2-subsequential

$\uparrow$ string-to-string
 Transducer

$M = (Q, \Sigma, \Phi, \delta, F, \Delta, \sigma)$
 $\uparrow$ dp alphabet
 $\uparrow$ o/p function
 $\uparrow$ i/p function

$\checkmark$
 $\delta: Q \times \Sigma \rightarrow Q$
 $\sigma: Q \times \Sigma \rightarrow \Delta^*$

$\parallel$ $\delta, \sigma: \checkmark$ partial
 functions

In general: p-sub-
 sequential Transducers

Σ^*

